

Isometry

Dilations

composition of transformations $\swarrow \searrow$ state the composition

glide reflection

angles in lines

$\times \neq$



$\cong \Delta's$

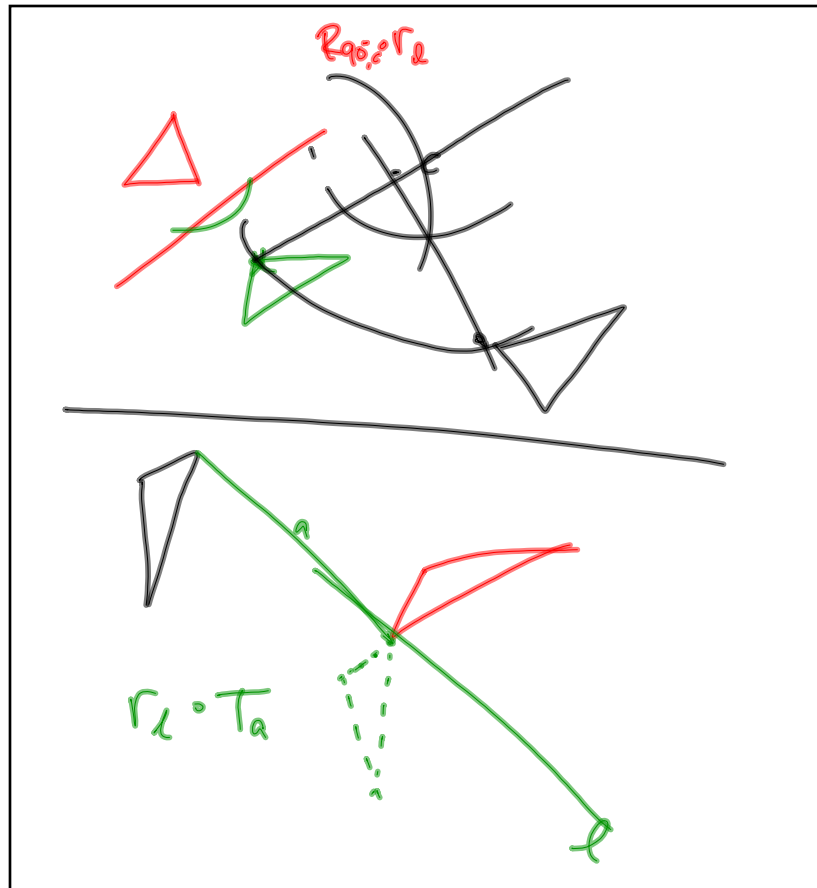
CPCTC

substitution
substitution
reflexive

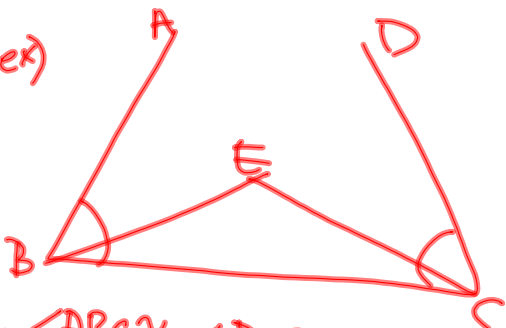
$$\begin{bmatrix} S & S & S \\ S & A & S \\ A & S & A \\ A & A & S \end{bmatrix}$$

11.1

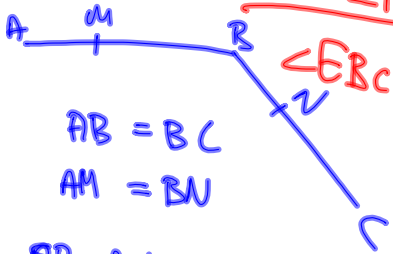
bisector / mid pt.



subtraction ex)

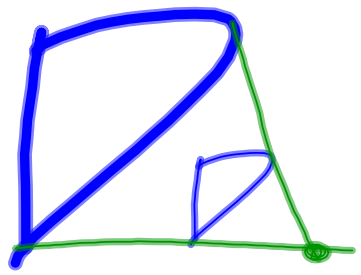


Given $\angle ABC \cong \angle DCB$
 $\angle ABE \cong \angle DCE$
 $\angle EBC \cong \angle ECB$ by subtraction.

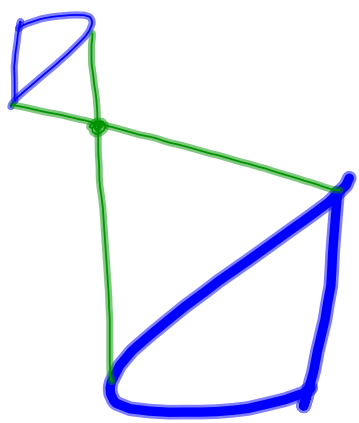


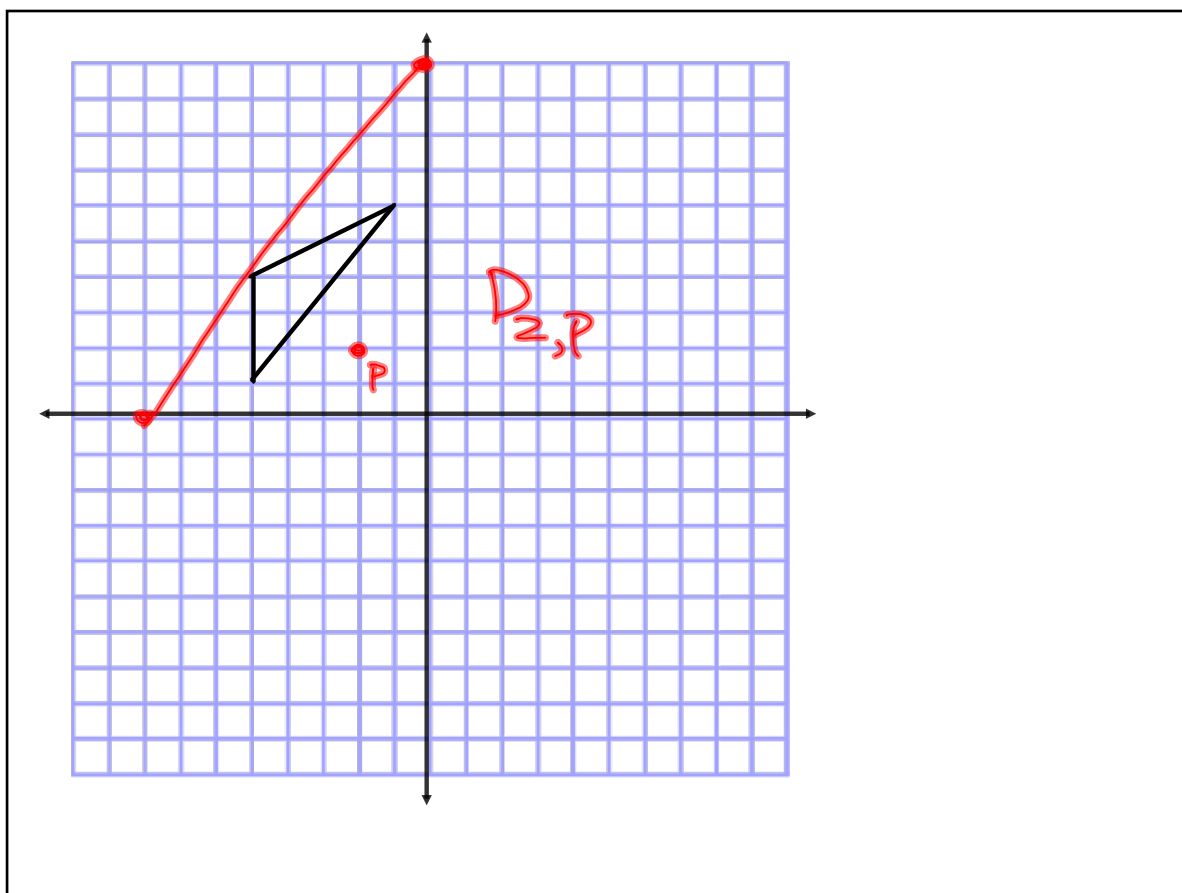
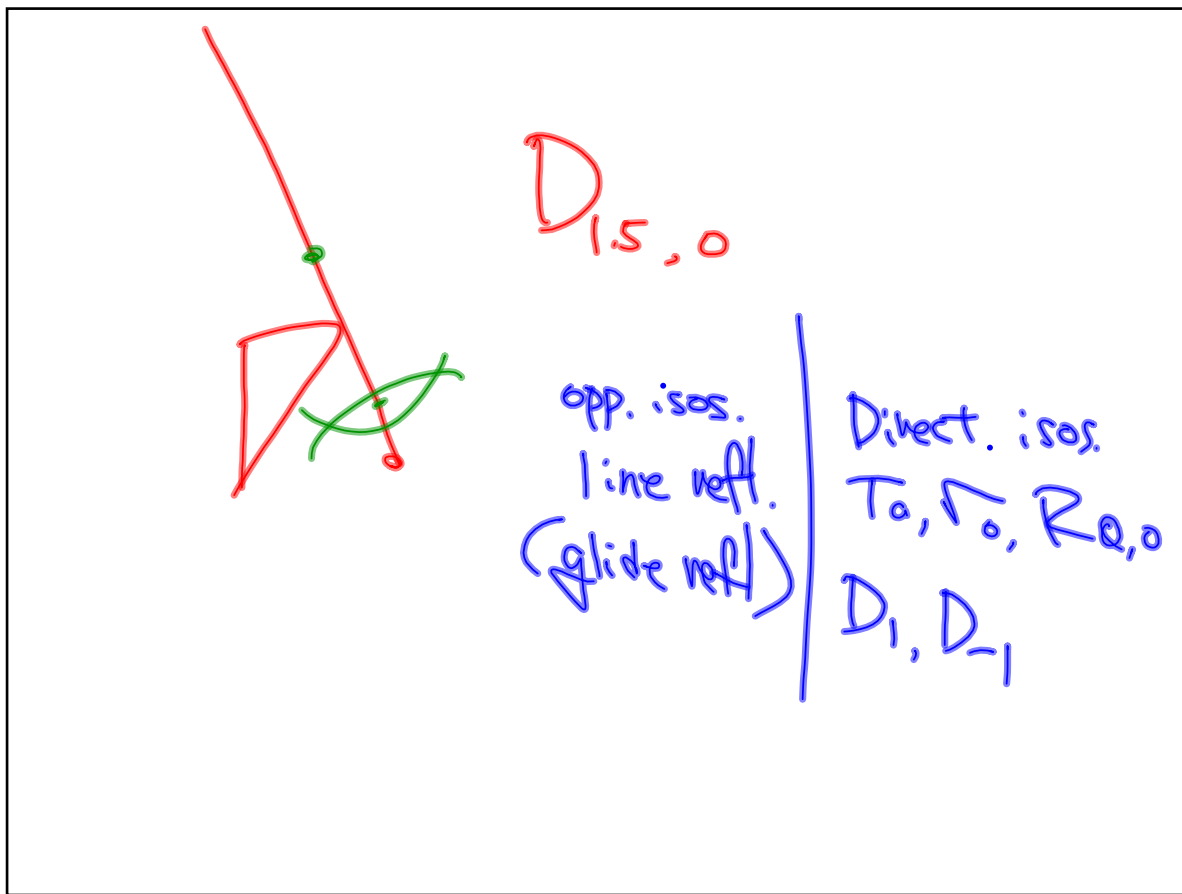
$AB = BC$
 $AM = BN$
 $AB - AM = BC - BN$ subtr.
 $MB = AB - AM, NC = BC - BN$
 $MB = NC$ subtr.

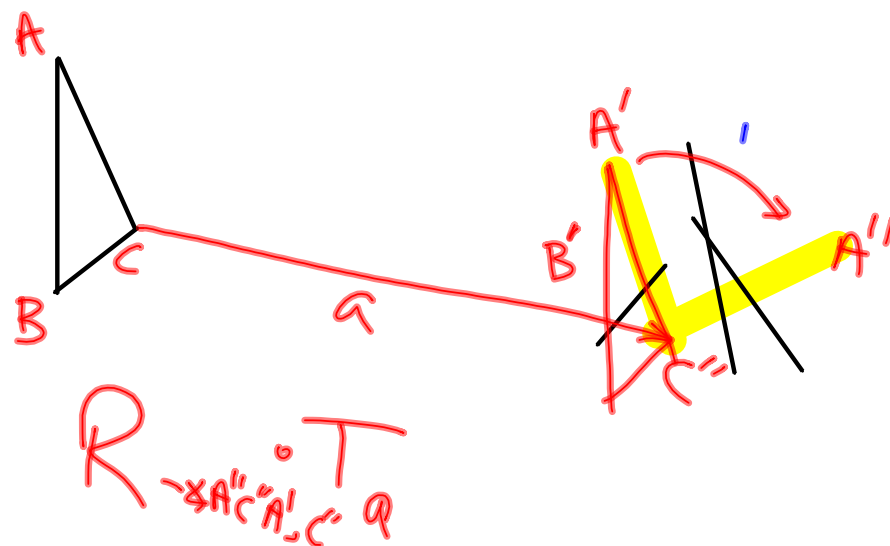
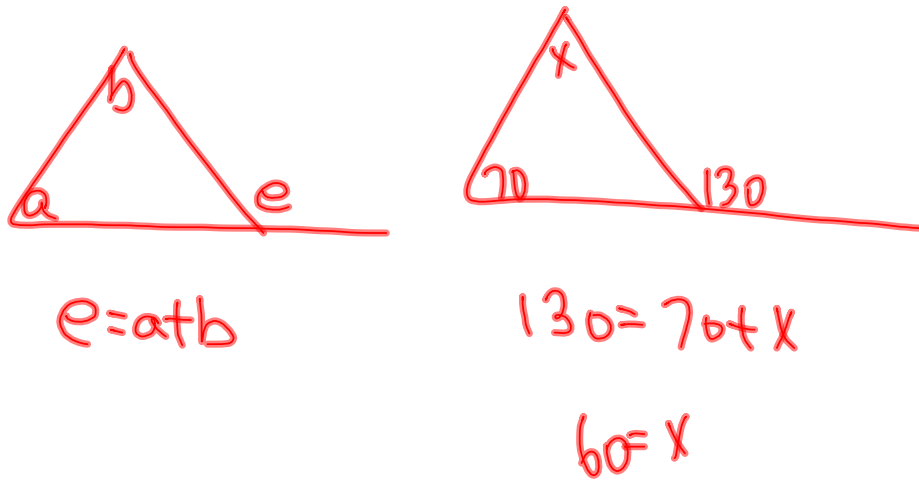
$D_a, a > 0$

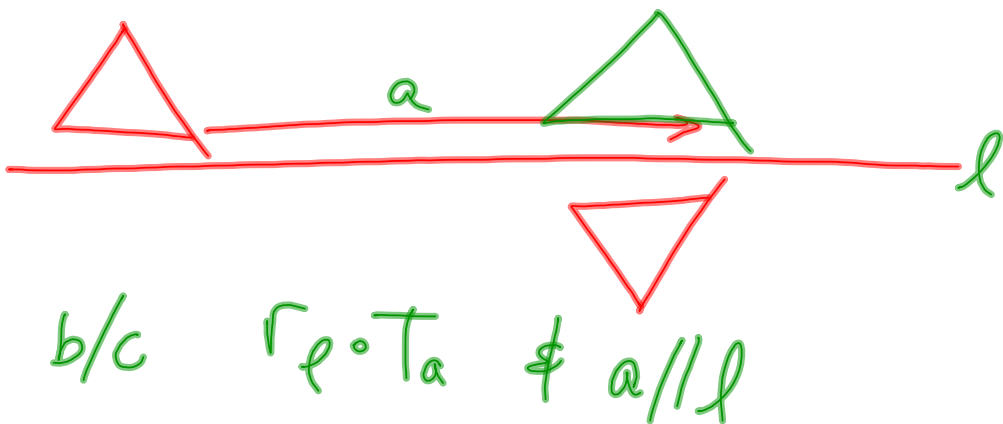
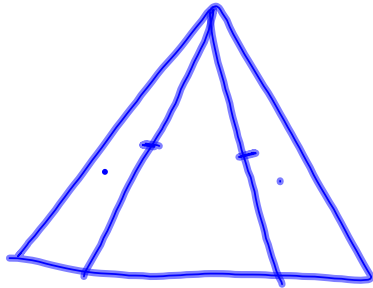


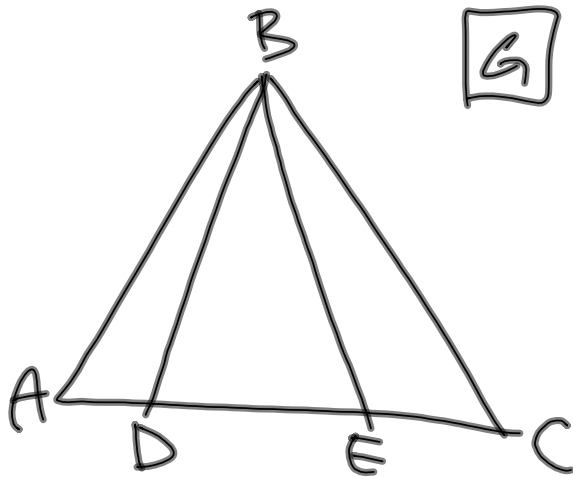
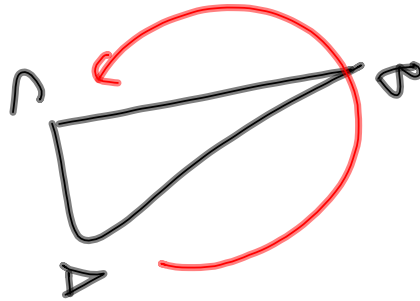
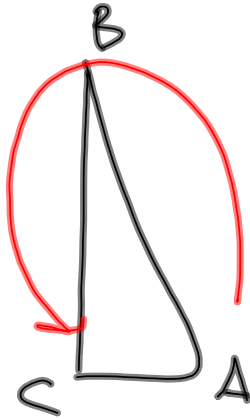
$D_a, a < 0$











$$AB = CB$$

$$\angle A = \angle C$$

$$\angle ABD = \angle CBE$$

Prove $\triangle ABE \cong \triangle CBD$